



# Resonant or asymmetric: The status of sub-GeV dark matter

arXiv:2405.17548

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### Nuclear Recoil Direct Detection Status

- Sensitive to GeV-TeV scale DM masses
- Approaching neutrino "fog"







- Also can be produced through freeze-out
  - Evade Lee-Weinberg bound by introducing new mediator

- DM produced through freeze-out near weak scale
- GeV-TeV scale thermal DM already widely tested



- Also can be produced through freeze-out ٠
  - Evade Lee-Weinberg bound by introducing Ο new mediator
- Escapes nuclear recoil direct detection exps
  - Largely experimentally **unexplored**... 0
  - Electron recoils or accelerator exps Ο

#### See Michał's talk!!

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- GeV-TeV scale thermal DM already widely tested





**95% confidence exclusion bound:** rate at which the true parameter values are excluded is limited to 5%

GAMBIT arXiv:2012.09874





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Cosmological Constraints

Relic Density (freeze-out)  $\Omega_{DM,obs}h^2 \leq 0.120 \pm 0.001$ Planck 2018 results. VI. Cosmological parameters full-component DM OR sub-component DM



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# Big Bang Nucleosynthesis $DM DM \rightarrow SM SM$

- Alters  $N_{eff} = 2.99 \pm 0.17$
- Light element abundances

Astrophysical Constraints

 $\begin{array}{l} X-Rays \\ DM DM \rightarrow e^+e^-, \mu^+\mu^-, \pi^+\pi^- \\ e^-\gamma \rightarrow e^-\gamma \text{ (Inverse Compton Scattering)} \\ up-scatter the low energy photons of the ambient light \end{array}$ 



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Laboratory Experiment Constraints

#### Accelerators

**Monophoton searches**  $e^+e^- \rightarrow \gamma A', A' \rightarrow XX$ 

• BaBar

#### **Fixed Targets**

Dark photon production  $A' \rightarrow DM$ 

- LSND
- Mini-BooNE
- NA64



#### (a) $\pi^0$ , $\eta$ Decay (b) Proton Bremsstrahlung literature our implementation $10^{-3}$

 $10^{-3}$ 



 $m_{\rm DM}~[{\rm GeV}]$ 

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 $10^{0}$ 

### Direct Detection arXiv:2210.07305

**obscura** software for direct DM searches via nuclear and electron recoils

- XENON1T •
- SENSEI
- **CRESST-III**
- and more ... •



## Global Fits of sub-GeV DM

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### Sub-GeV DM Models

Benchmark models with a A' mediator

Complex Scalar DM  $\mathcal{L}_{\phi} = \left|\partial_{\mu}\phi\right|^{2} - m_{DM}^{2}|\phi|^{2} + ig_{DM}A^{\prime\mu}[\phi^{*}(\partial_{\mu}\phi^{*})\phi]$ 

NOT subject to indirect detection and energy injection

- $\langle \sigma v \rangle_{DM DM \to SM SM} \sim v^2$  (p-wave dominant)
- s-wave forbidden

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Dirac Fermion DM  $\mathcal{L}_{\psi} = \overline{\psi}(i\partial \!\!\!/ - m_{DM})\psi + g_{DM}A'^{\mu}\overline{\psi}\gamma_{\mu}\psi$ 

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How to evade indirect detection constraints? 1. Resonance enhancement:  $\epsilon_R \equiv \frac{m_{A'}^2 - 4m_{DM}^2}{4m_{DM}^2} \ll 1$ 

2. Assymptric: 
$$\eta \equiv \frac{n_{DM} - n_{\overline{DM}}}{s} > 0$$

3. Sub-component: 
$$f \equiv \frac{\Omega_{DM}h^2}{\Omega_{DM,obs}h^2} < 1$$

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### Global Fits of sub-GeV DM: Frequentist analysis

 $\mathcal{X}$ 





### Global Fits of sub-GeV DM: Frequentist analysis

Dirac DM subject to strong constraints from CMB and X-ray observations

• Requires tuning of  $m'_A/m_{DM}$  $\rightarrow$  Relax with **asymmetry** 





Dirac DM subject to **strong constraints** from **CMB** and **X-ray** observations

> • Requires tuning of  $m'_A/m_{DM}$  $\rightarrow$  Relax with **asymmetry**

> > And Andreas' talk!





### Summary

Frequentist and Bayesian global fits of 2 sub-GeV DM models using GAMBIT

#### • Fermionic DM

- Preferred region is resonant freeze-out
- Or, introduce asymmetry

#### • Scalar DM

- Weak indirect detection constraints
- Subject to constraints from fixed target/collider experiments

#### Thank you for listening!



# Additional Material

### **GAMBIT** Priors

Table 1. List of model parameters and their ranges. For frequentist scans, the prior is only used to determine the sampling strategy. Our scans also include several nuisance parameters as discussed in the text. The likelihoods that we consider are presented in section 3 and summarized in appendix E.

Parameter name	Symbol	Unit	Range	Prior
Kinetic mixing	$\kappa$	_	$[10^{-8}, 10^{-2}]$	logarithmic
Dark sector coupling	$g_{\rm DM}$	_	$[10^{-2}, \sqrt{4\pi}]$	logarithmic
Asymmetry parameter	$\eta_{\rm DM}$	—	$[0, 10^{-9}{ m GeV}/m_{ m DM}]$	linear
Dark matter mass	$m_{\rm DM}$	${\rm MeV}$	[1,1000]	logarithmic
Dark photon mass	$m_{A'}$	MeV	[2,6000] with $m_{A'} \ge 2m_{\rm DM}$	logarithmic
or				
Resonance parameter	$\epsilon_R$	_	$[10^{-3}, 8]$	logarithmic



#### Frequentist:

arXiv:1705.07959



- Differential evolution sampler
- Profile likelihood
  - (Computationally more expensive)

#### Bayesian: PolyChord

arXiv:1502.01856

- Nested sampling algorithm
- Posterior distribution of parameters given the prior

## Frequentist vs Bayesian

- Parameters are fixed quantities
- Only likelihood matters

- Parameters are random variables w distributions
- Volume of allowed parameter space

(Fine-tuning is penalized)

- For example:
  - $\eta$  parameter
  - smaller  $g_{DM}$  and larger  $m_{DM}$

### Global Fits of sub-GeV DM: Bayesian scans

- Fine tuning is penalized
- Highly asymmetric is preferred
  - Relaxes other constraints



Asymmetric full component Dirac fermion DM 30