# Simulation and optimisation of the Drive Beam Recombination Complex for CLIC 

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## Outline

(1) Introducing CLIC and the DBRC
(2) Design challenges
(3) Results
(4) Optimisation techniques with particle losses
(5) Conclusions and Outlook

## Introducing CLIC and the DBRC

## The Compact Linear Collider (CLIC)



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## CLIC parameters

| Parameter | Symbol | Unit | Stage 1 | Stage 2 | Stage 3 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Centre-of-mass energy | $\sqrt{s}$ | GeV | 380 | 1500 | 3000 |
| Repetition frequency | $f_{\text {rep }}$ | Hz | 50 | 50 | 50 |
| Number of bunches per train | $n_{b}$ |  | 352 | 312 | 312 |
| Bunch separation | $\Delta t$ | ns | 0.5 | 0.5 | 0.5 |
| Pulse length | $\tau_{\mathrm{RF}}$ | ns | 244 | 244 | 244 |
| Accelerating gradient | $G$ | $\mathrm{MV} / \mathrm{m}$ | 72 | $72 / 100$ | $72 / 100$ |
| Total luminosity | $\mathscr{L}$ | $10^{34} \mathrm{~cm}^{-2} \mathrm{~s}^{-1}$ | 1.5 | 3.7 | 5.9 |
| Luminosity above $99 \%$ of $\sqrt{s}$ | $\mathscr{L}_{0.01}$ | $10^{34} \mathrm{~cm}^{-2} \mathrm{~s}^{-1}$ | 0.9 | 1.4 | 2 |
| Main tunnel length |  | km | 11.4 | 29.0 | 50.1 |
| Number of particles per bunch | $N$ | $10^{9}$ | 5.2 | 3.7 | 3.7 |
| Bunch length | $\sigma_{z}$ | $\mu \mathrm{~m}$ | 70 | 44 | 44 |
| IP beam size | $\sigma_{x} / \sigma_{y}$ | nm | $149 / 2.9$ | $\sim 60 / 1.5$ | $\sim 40 / 1$ |
| Normalised emittance (end of linac) | $\varepsilon_{x} / \varepsilon_{y}$ | nm | $920 / 20$ | $660 / 20$ | $660 / 20$ |
| Normalised emittance (at IP) | $\varepsilon_{x} / \varepsilon_{y}$ | nm | $950 / 30$ | - | - |
| Estimated power consumption | $P_{\text {wall }}$ | MW | 252 | 364 | 589 |

## The Drive Beam Recombination Complex

The DBRC is located between the drive beam linac and the deceleration sectors

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## Beam parameters

Injection Parameters:

$$
\begin{aligned}
E & =1.9 / 2.38 \mathrm{GeV}^{*} \\
\delta & =0.85 \% \\
\sigma_{z} & =1 \mathrm{~mm} \\
\varepsilon_{x} & =50 \mu \mathrm{~m} \\
\varepsilon_{y} & =50 \mu \mathrm{~m}
\end{aligned}
$$

Extraction Parameters:

$$
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$$

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* The DB energy is 1.9 GeV for CLIC's 1st stage and 2.38 GeV for stages 2 and 3 . Most optical properties of the lattice are similar.


## Notation

We are tracking 12 bunch "families" differentiated by the number of turns they take in CR1 and CR2: $\mathbf{b}_{\mathrm{CR} 1}^{\mathrm{CR} 2}$


## Design challenges

## Transverse pulse emittance



Targeting $\langle\varepsilon\rangle$ does not ensure twiss and centre-orbit match We project all distributions on top of one-another and compute $\tilde{\varepsilon}$

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Note: I'll talk more about emittance evaluation emittance later

## Longitudinal profile

DBRC before optimisation


## Source of the longitudinal issues

$$
z(s)=z+R_{56} \delta+T_{566} \delta^{2}
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\begin{aligned}
& z(s)=z+R_{56} \delta+T_{566} \delta^{2} \\
& T_{566_{[n]}}=\sum_{i} R_{5 i_{[n]}} T_{i 66_{[n-1]}}+\sum_{i j} T_{5 i j_{[n]}} R_{i 6_{[n-1]}} R_{i 6_{[n-1]}}
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& T_{522_{[\text {Drift }]}}=\frac{L}{2}
\end{aligned}
$$

## $T_{566}$ tracking - single arc (CR2)



## Results

## Combiner Ring 1 optimisation



| Emittance $[\mu \mathrm{m}]$ | $\mathrm{b}_{0.5}^{j}$ | $\mathrm{~b}_{1.5}^{j}$ | $\mathrm{~b}_{2.5}^{j}$ | $\left\langle\varepsilon_{i}\right\rangle$ | $\tilde{\varepsilon}_{i}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Horizontal | 79 | 72 | 90 | 80 | 88 |
| Vertical | 56 | 56 | 64 | 59 | 59 |

## Longitudinal profile before CR2 optimisation






## $80 \mu \mathrm{~m}$ results $-T_{566}$ correction



## Combiner Ring 2 optimisation

Before optimisation


Emittance $[\mu \mathrm{m}$ ]
$\mathrm{b}_{1.5}^{0.5}$
$\mathrm{b}_{1.5}^{1.5}$
Horizontal
Vertical
$75 \quad 77$
$65 \quad 70$

After optimisation

$\mathrm{b}_{1.5}^{2.5} \quad \mathrm{~b}_{1.5}^{3.5}$
$\left\langle\varepsilon_{i}\right\rangle \quad \tilde{\varepsilon}_{i} \quad \tilde{\varepsilon}_{i}\left(\mathrm{~b}_{i}{ }^{j}\right)$
$\begin{array}{lll}84 & 87 & 120\end{array}$
$70 \quad 70 \quad 71$

## Longitudinal profile after CR2 optimisation






## Extraction results (after TTA)

| Bunch | $S_{\text {total }}[\mathrm{m}]$ | $\varepsilon_{x}[\mu \mathrm{~m}]$ | $\varepsilon_{y}[\mu \mathrm{~m}]$ | $T_{566}[\mathrm{~m}]$ | $\sigma_{z}[\mathrm{~mm}]$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathrm{b}_{2}{ }^{3.5} 5$ | 4145 | 207 | 161 | 0.23 | 0.43 |
| $\mathrm{~b}_{2.5}^{2.5}$ | 3706 | 169 | 137 | 0.21 | 0.42 |
| $\mathrm{~b}_{2.5}^{1.5}$ | 3267 | 166 | 154 | 0.21 | 0.42 |
| $\mathrm{~b}_{2.5}^{0.5}$ | 2828 | 116 | 98 | 0.22 | 0.41 |
| $\mathrm{~b}_{1.5}^{3.5}$ | 3853 | 106 | 142 | 0.35 | 0.42 |
| $\mathrm{~b}_{1.5} .5$ | 3414 | 84 | 107 | 0.36 | 0.42 |
| $\mathrm{~b}_{1.5}^{1.5}$ | 2975 | 87 | 98 | 0.38 | 0.42 |
| $\mathrm{~b}_{1.5}^{0.5}$ | 2536 | 80 | 85 | 0.39 | 0.42 |
| $\mathrm{~b}_{0}^{3.5}$ | 3560 | 107 | 146 | 0.54 | 0.43 |
| $\mathrm{~b}_{0.5}^{3.5}$ | 3121 | 96 | 113 | 0.54 | 0.43 |
| $\mathrm{~b}_{0} .5$ | 2682 | 89 | 101 | 0.57 | 0.43 |
| $\mathrm{~b}_{0.5}^{0.5}$ | 2243 | 108 | 91 | 0.59 | 0.43 |
| $\mathrm{~b}_{i}{ }^{j}$ | - | 117 | 112 | - | - |

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TL3 has already been optimised to have $R_{56} \sim 0$
TL2 is next...

## Optimisation techniques with particle losses

## General technique

Optimisation is performed by changing optical strengths of some elements Placet2's API to Octave to access Nelder-Mead's downhill simplex algorithm

We Define element families (7-40) and minimize
$w_{1} \varepsilon_{x}+w_{2} \varepsilon_{y}+w_{3} T_{566}{ }^{*}$
Takes a lot of computing
 time and fine tuning

* In reality minimizing the error of a linear fit is more efficient


## Emittance evaluation from a particle distribution

In multiple particle tracking we evaluate emittance as

$$
\varepsilon_{q}=\sqrt{\operatorname{det}\left(\left[\begin{array}{cc}
\operatorname{cov}(q, q) & \operatorname{cov}\left(q, q^{\prime}\right) \\
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However, if particle losses are possible during optimisation, increasing particle loss will decrease the $\varepsilon_{q}$ evaluation

The optimisation scan will therefore "attempt" to lose more particles!

## Emittance evaluation from a particle distribution

When 1st attempting to address this, we added a term to the merit function such that

$$
w_{1} \varepsilon_{x}+w_{2} \varepsilon_{y}+w_{3} T_{566}+W_{4} N_{\text {Losses }} ; \quad W_{4} \gg w_{i}
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Instead of using the full distribution, we compute $\varepsilon_{q}$ using a fixed number of macro particles ( $99 \%$ of the original distribution)

This also provides a better fit to the particle distribution (since the bunch is not actually Gaussian at extraction)

Emittance evaluation from a particle distribution


## Gaussian fit comparison

$b_{2.5}^{3.5}$ distribution


## Conclusions and Outlook

## Conclusions

- Placet2 has been updated to track individual tensor elements
- The main DBRC design challenges were identified and addressed
- With an injected beam of $50 \mu \mathrm{~m}$, the latest lattice has minimal $T_{566}(<60 \mathrm{~cm})$ while meting the emittance budget $\left(\varepsilon_{x}=117 \mu \mathrm{~m} ; \varepsilon_{y}=112 \mu \mathrm{~m}\right)$
- The transfer lines present some unwanted $R_{56}$ ( $\sim-7 \mathrm{~cm}$ )
- Particle loss and long non-Gaussian tails are detrimental to the performance of our optimisation scans
- When losses are possible, estimating $\varepsilon$ using $99 \%$ of the particle distribution improves the performance of optimisation scans
- It also provides a better fit for distributions with long tails


## Outlook

- DBRC
- Remove $R_{56}$ from TL2 (or update the final chicane)
- Implement the delay loop's short path
- Try to optimise for $\delta=1 \%$
- Implement misalignments and beam-based alignment techniques


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- Improve parallelization, LXplus support, etc...


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- Full drive beam integration



## The end

## Thank you

## Extra slides

## Full drive beam integration (status)



## Output:

$$
\begin{aligned}
& \varepsilon_{x} \leq 35 \mu \mathrm{~m} \\
& \varepsilon_{y} \leq 35 \mu \mathrm{~m} \\
& E=50 \mathrm{MeV} \\
& \delta=0.95 \%
\end{aligned}
$$

## Full drive beam integration (status)



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\end{aligned}
$$



* Thanks to Steffen Doebert and Shahin Hajari for the distributions


## Full drive beam integration (status)

## DBA

## Input:

$$
\begin{aligned}
& \varepsilon_{q}=30 \mu \mathrm{~m} \\
& E=50 \mathrm{MeV} \\
& \delta=1 \%
\end{aligned}
$$

Gaussian

## Full drive beam integration (status)

DBA

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\end{aligned}
$$

Gaussian
Output:

$$
\begin{aligned}
& \varepsilon_{q}=31 \mu \mathrm{~m} \\
& E=1.9 \mathrm{GeV} \\
& \delta=0.84 \%
\end{aligned}
$$

## Full drive beam integration (status)



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## $R_{56}$ before optimisation



* From Eduardo Marin's CLIC Workshop 2016


## DBA simulation parameters

| DBA simulation parameters: |  |
| :--- | :--- |
| Initial energy $(\mathrm{MeV})$ | 50 |
| Final energy (GeV) | 1.9 |
| Initial Energy Spread (\%) | 1.0 |
| Bunch Charge (nC) | 8.4 |
| Initial emittance ( $\mu \mathrm{m})$ | 30 |
| BPM resolution $(\mu \mathrm{m})$ | 10 |
| Misalignment errors - Quad. and Acc. $(\mu \mathrm{m} \mathrm{rms})$ | 200 |
| Pitch errors - Acc. $(\mu \mathrm{rad} \mathrm{rms})$ | 200 |

## DBA simulations (WFS)



- Average final emittance: $\varepsilon_{x}=31 \mu \mathrm{~m}, \varepsilon_{y}=30 \mu \mathrm{~m}$
- Final energy spread of $0.836 \% \pm 0.004 \%$


## CR1 Lattice



## CR2 Lattice



