RE-EXAMINING COSMIC ACCELERATION

Subir Sarkar

Rudolf Peierls Centre for Theoretical Physics



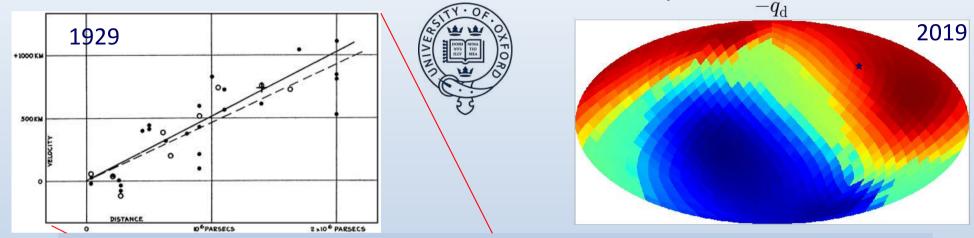
Type Ia supernovae are standard(isable) candles so observing them out to cosmological distances reveals the change of the Hubble parameter with redshift. Such observations have been interpreted to mean that the expansion rate of the universe is accelerating, as if driven by a Cosmological Constant. However reanalysis of the data shows that the inferred cosmic acceleration is anisotropic, so is likely to be an artefact due to our being untypical observers (embedded in a local non-Hubble `bulk flow'), rather than evidence for dark energy.

Colin et al, <u>A&A 631: L13,2019</u>; arXiv:<u>1912.04257</u>; <u>2003.10420</u> + Secrest et al, arXiv:<u>2009.14826</u>

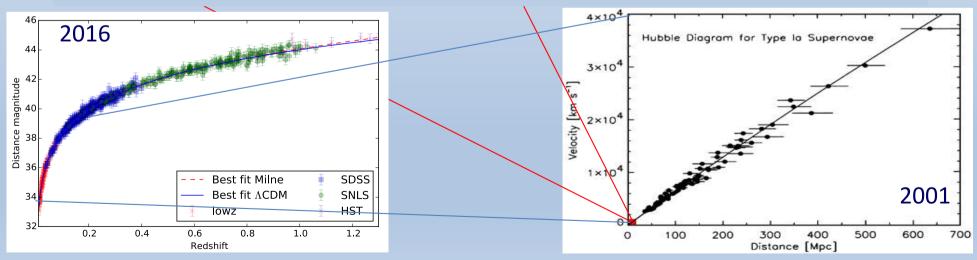
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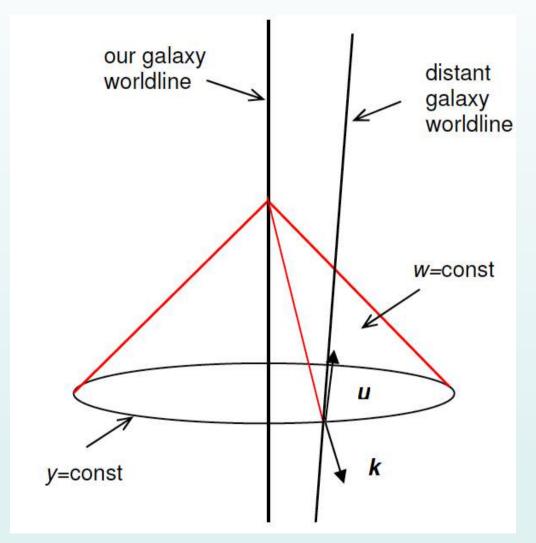


Hubble (1931) to De Sitter: "The interpretation, we feel, should be left to you and the very few others who are competent to discuss the matter with authority"



Colin et al, <u>A&A 631: L13,2019</u>; arXiv:<u>1912.04257</u>; <u>2003.10420</u> + Secrest et al, arXiv:<u>2009.14826</u>

ALL WE CAN EVER LEARN ABOUT THE UNIVERSE IS CONTAINED WITHIN OUR PAST LIGHT CONE



We cannot move over cosmological distances and check if the universe looks the same from 'over there' as it does from here ... so there are limits to what we can know (cosmic variance)

STANDARD COSMOLOGICAL MODEL

The universe is isotropic + homogeneous (when averaged on 'large' scales)

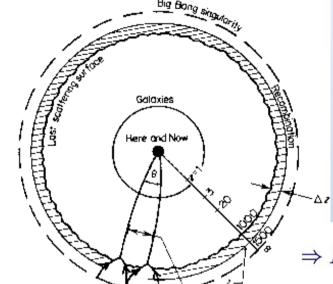
⇒ Maximally-symmetric space-time + ideal fluid energy-momentum tensor

$$ds^{2} \equiv g_{\mu\nu}dx^{\mu}dx^{\nu}$$
$$= a^{2}(\eta) \left[d\eta^{2} - d\bar{x}^{2} \right]$$
$$a^{2}(\eta)d\eta^{2} \equiv dt^{2}$$

Robertson-Walker Friedmann-Lemaître

$$\ddot{a} = -\frac{4\pi G}{3} \left(\rho + 3P\right) a$$

$$\Omega_{\mathrm{m}} \equiv \frac{\rho_{\mathrm{m}}}{(3H_0^2/8\pi G_{\mathrm{N}})}, \ \Omega_k \equiv \frac{k}{(3H_0^2 a_0^2)}, \ \Omega_{\Lambda} \equiv \frac{\Lambda}{(3H_0^2)}$$



$$R_{\mu\nu} - \frac{1}{2}Rg_{\mu\nu} + \lambda g_{\mu\nu}$$

Einstein $= 8\pi G_{
m N} T_{\mu\nu}$

$$T_{\mu\nu} = -\langle \rho \rangle_{\text{fields}} g_{\mu\nu}$$

$$(\Lambda) = \lambda + 8\pi G_{\text{N}} \langle \rho \rangle_{\text{fields}}$$

$$\Rightarrow H^2 = \left(\frac{\dot{a}}{a}\right)^2 = \frac{8\pi G_{\rm N}\rho_{\rm m}}{3} - \frac{k}{a^2} + \frac{\Lambda}{3}$$

$$\equiv {H_0}^2 \left[\Omega_{
m m} (1+z)^3 + \Omega_k (1+z)^2 + \Omega_\Lambda \right]$$

So the Friedmann-Lemaitre equation \Rightarrow 'cosmic sum rule': $\Omega_m + \Omega_k + \Omega_k = 1$

We observe: $0.8\Omega_{\rm m}$ - $0.6\Omega_{\Lambda} \approx$ -0.2 (Supernovae), $\Omega_{\rm k} \approx 0.0$ (CMB), $\Omega_{\rm m} \sim 0.3$ (Clusters)

 \rightarrow infer universe is dominated by dark energy: $\Omega_{\Lambda} = 1 - \Omega_{\rm m} - \Omega_{\rm k} \sim 0.7 \Rightarrow \Lambda \sim 2H_0^2$

The scale of Λ is set by the *only* dimensionful parameter in the model: $H_0 \sim 10^{-42}$ GeV

To drive **accelerated** expansion requires the pressure to be **negative** $(P < -\rho/3)$ so this is interpreted as vacuum energy at the scale $(\rho_{\Lambda})^{1/4} = (H_0^2/8\pi G_N)^{1/4} \sim 10^{-12} \text{ GeV} << G_F^{-1/2} \sim 10^2 \text{ GeV}$

This makes no physical sense ... exacerbates the (old) Cosmological Constant problem!

$$T_{\mu\nu} = -\langle \rho \rangle_{\text{fields}} g_{\mu\nu} \rightarrow \Lambda = \lambda + 8\pi G_{\text{N}} \langle \rho \rangle_{\text{fields}}$$

Interpreting Λ as vacuum energy also raises the 'coincidence problem':

Why is
$$\Omega_{\Lambda} \approx \Omega_{\mathrm{m}} \ today$$
?

An evolving ultralight scalar field ('quintessence') can display 'tracking' behaviour: this requires $V(\varphi)^{1/4} \sim 10^{-12}$ GeV but $\sqrt{\mathrm{d}^2 V/\mathrm{d} \varphi^2} \sim H_0 \sim 10^{-42}$ GeV to ensure slow-roll ... i.e. just as much fine-tuning as a bare cosmological constant

A similar comment applies to models (e.g. 'DGP brane-world') wherein gravity is modified on the scale of the present Hubble radius $1/H_0$ so as to mimic vacuum energy ... this scale is absent in a fundamental theory and must be put in by hand

(There is similar fine-tuning in every proposal – massive gravity, chameleon fields, ...)

The only 'natural' option is if $\Lambda \sim H^2$ always, but this is just a renormalisation of G_N ! (recall: $H^2 = 8\pi G_N/3 + \Lambda/3$) \rightarrow this is ruled out by Big Bang nucleosynthesis which requires G_N to be within 5% of its lab. value ... in any case this will not yield accelerated expansion

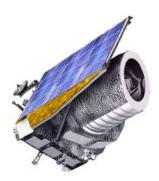
Every attempt to explain the coincidence problem is equally severely fine-tuned

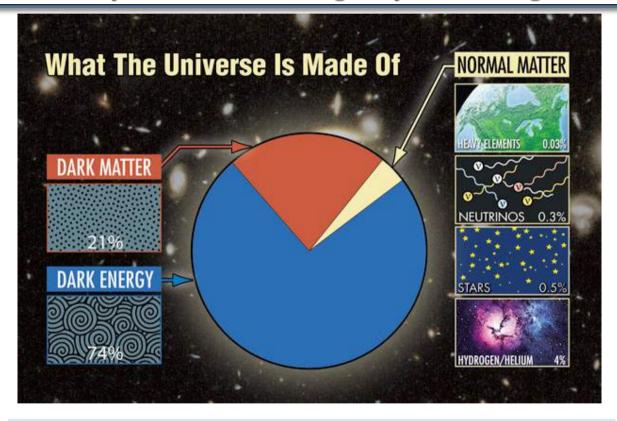
Do we infer $\Lambda \sim H_0^2$ from observations simply because H_0 ($\sim 10^{-42}$ GeV) is the *only* scale in the F-R-L-W model ... so this is the value imposed on Λ by **construction**?

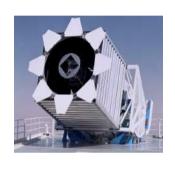
Since 1998 (Riess et al. ¹, Perlmutter et al. ²), surveys of cosmologically distant Type Ia supernovae (SNe Ia) have indicated an acceleration of the expansion of the Universe, distant SNe Ia being dimmer that expected in a decelerating Universe. With the assumption that the Universe can be described on average as isotropic and homogeneous, this acceleration implies either the existence of a fluid with negative pressure usually called "Dark Energy", a constant in the equations of general relativity or modifications of gravity on cosmological scales.





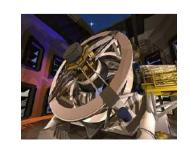










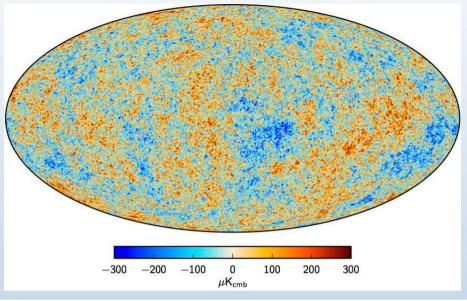


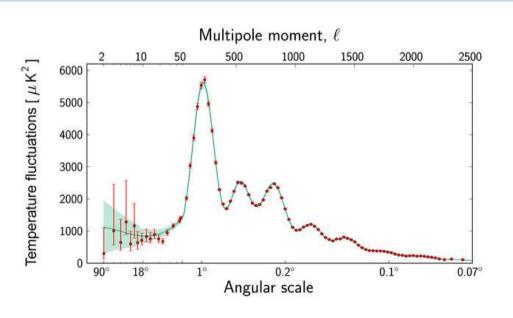
The Universe must appear to be the same to all observers wherever they are This 'cosmological principle' ...



Kinematics, Dynamics, and the Scale of Time By E. A. Milne, F.R.S. (*Received 28 August*, 1936)

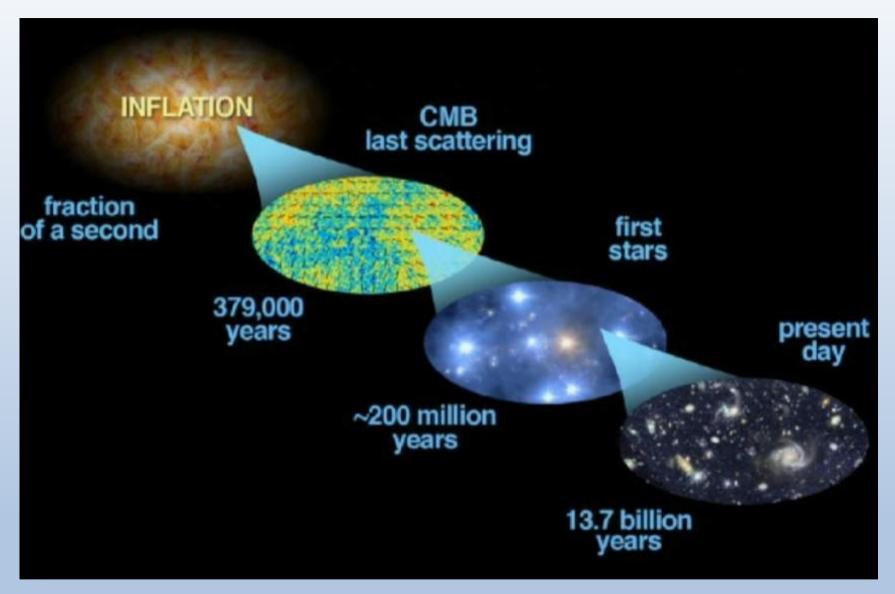
"Data from the Planck satellite show the universe to be highly isotropic" (Wikipedia)





We do observe a ~statistically isotropic ~Gaussian random field of small temperature fluctuations (quantified by the 2-point correlations → angular power spectrum)

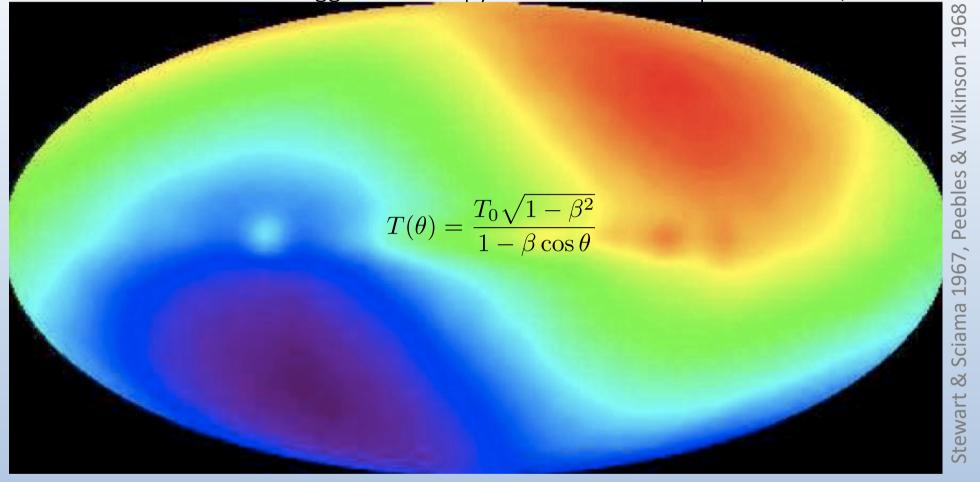
STANDARD MODEL OF STRUCTURE FORMATION



The ~10⁻⁵ CMB temperature fluctuations are understood as due to scalar density perturbations with a ~scale-invariant spectrum which were generated during an early de Sitter phase of inflationary expansion ... these perturbations have subsequently grown into the large-scale structure of galaxies observed today through gravitational instability in a sea of dark matter

BUT THE CMB SKY IS IN FACT QUITE ANISOTROPIC

There is a ~100 times bigger anisotropy in the form of a dipole with $\Delta T/T \sim 10^{-3}$



This is interpreted as due to our motion at 370 km/s wrt the frame in which the CMB is truly isotropic \Rightarrow motion of the Local Group at 620 km/s towards $l=271.9^{\circ}$, $b=29.6^{\circ}$

This motion is presumed to be due to local inhomogeneity in the matter distribution Its scale – beyond which we converge to the CMB frame – is supposedly of O(100) Mpc (Counts of galaxies in the SDSS & WiggleZ surveys are said to scale as r^3 on larger scales)

Dec 2006

 ∞

Smoot, Nobel Lecture,

George

Peculiar Velocity of the Sun and its Relation to the Cosmic Microwave Background

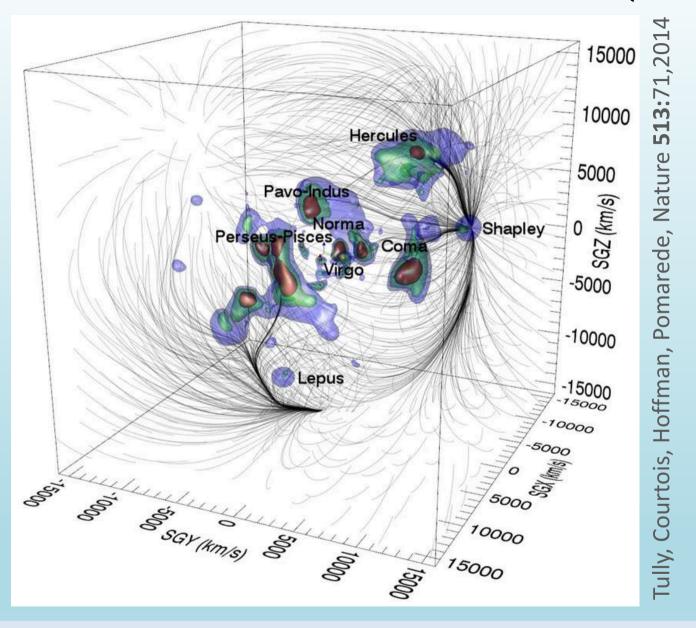
J. M. Stewart & D. W. Sciama

If the microwave blackbody radiation is both cosmological and isotropic, it will only be isotropic to an observer who is at rest in the rest frame of distant matter which last scattered the radiation. In this article an estimate is made of the velocity of the Sun relative to distant matter, from which a prediction can be made of the anisotropy to be expected in the microwave radiation. It will soon be possible to compare this prediction with experimental results.

NATURE 216, 748 (1967)

"Cosmologists neglecting the motion of the Solar System are crackpots" - Lubos Motl

STRUCTURE WITHIN A CUBE EXTENDING ~200 MPC FROM OUR POSITION (SUPERGAL. COORD.)



We appear to be moving towards the Shapley supercluster due to a 'Great Attractor' ... if so, our local 'peculiar velocity' should fall off as $\sim 1/r$ as we "converge to the CMB frame" in which the universe supposedly looks Friedmann-Lemaître-Robertson-Walker

THEORY OF PECULIAR VELOCITY FIELDS

In linear perturbation theory, the growth of the density contrast $\delta(x) = [\rho(x) - \bar{\rho}]/\bar{\rho}$ is governed by the continuity, Euler's & Poisson's equations ... for pressureless 'dust':

$$\frac{\partial^2 \delta}{\partial t^2} + 2H(t)\frac{\partial \delta}{\partial t} = 4\pi G_{\rm N}\bar{\rho}\delta$$

We are interested in the 'growing mode' solution – the density contrast grows self-similarly and so does the perturbation potential and its gradient ... so the direction of the acceleration (and its integral – the peculiar velocity) remains unchanged.

The peculiar velocity field is related to the density contrast as:

$$v(\mathbf{x}) = \frac{2}{3H_0} \int d^3y \frac{\mathbf{x} - \mathbf{y}}{|\mathbf{x} - \mathbf{y}|^3} \delta(\mathbf{y}),$$

So the peculiar Hubble flow, $\delta H(x) = H_L(x) - H_0 \implies trace of the shear tensor)$, is:

$$\delta H(\mathbf{x}) = \int d^3 \mathbf{y} \ \mathbf{v}(\mathbf{y}) \cdot \frac{\mathbf{x} - \mathbf{y}}{|\mathbf{x} - \mathbf{y}|^2} W(\mathbf{x} - \mathbf{y}),$$

where $H_L(x)$ is the local value of the Hubble parameter and W(x-y) is the 'window function' (e.g. $\theta(R-|x-y|)$) $(4\pi R^3/3)^{-1}$ for a volume-limited survey out to distance R)

THEORY OF PECULIAR VELOCITY FIELDS (CONT.)

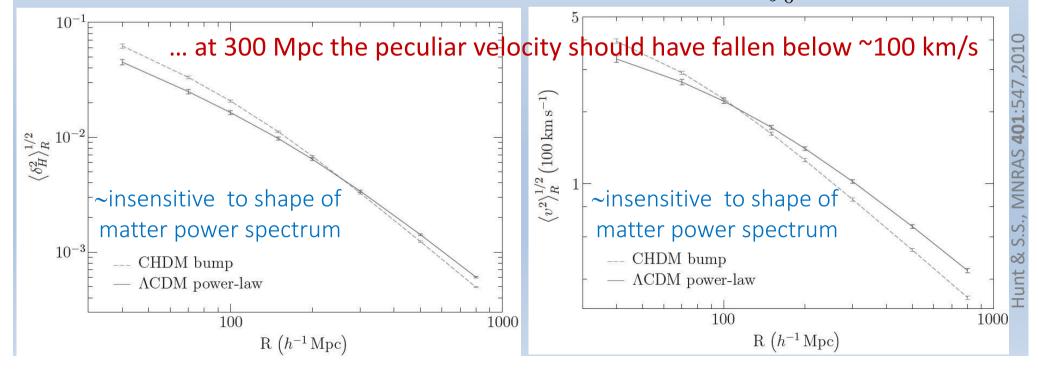
Rewrite in terms of the Fourier transform $\delta(\mathbf{k}) \equiv (2\pi)^{3/2} \int \mathrm{d}^3 x \ \delta(\mathbf{x}) \mathrm{e}^{i\mathbf{k}\cdot\mathbf{x}}$:

$$\frac{\delta H}{H_0} = \int \frac{\mathrm{d}^3 k}{(2\pi)^{3/2}} \delta(k) \mathcal{W}_H(kR) e^{ik.x}, \, \mathcal{W}_H(x) = \frac{3}{x^3} \left(\sin x - \int_o^x \mathrm{d}y \frac{\sin y}{y} \right)$$
Window function

Then the RMS fluctuation in the local Hubble constant $\delta_H \equiv \langle (\delta H/H_0)^2 \rangle^{1/2}$ is:

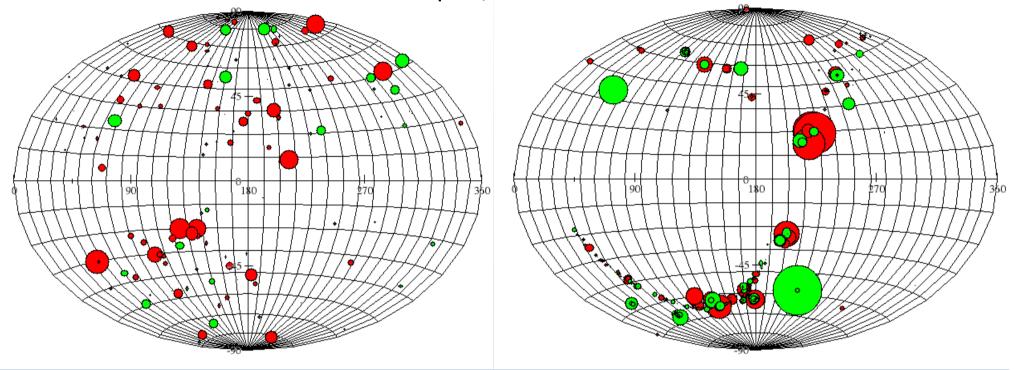
$$\delta_H^2 = \frac{f^2}{2\pi^2} \int_0^\infty k^2 \mathrm{d}k \; P(k) \mathcal{W}^2(kR), \\ P(k) \equiv |\delta(k)^2|, \\ f \simeq \Omega_\mathrm{m}^{4/7} + \frac{\Omega_\Lambda}{70} (1 + \frac{\Omega_\mathrm{m}}{2})$$
 Power spectrum of matter fluctuations

Similarly the variance of the peculiar velocity is: $\langle v^2 \rangle_R = \frac{f^2 H_0^2}{2\pi^2} \int_0^\infty \mathrm{d}k P(k) \mathcal{W}^2(kR)$



Union 2 compilation of 557 SNE IA



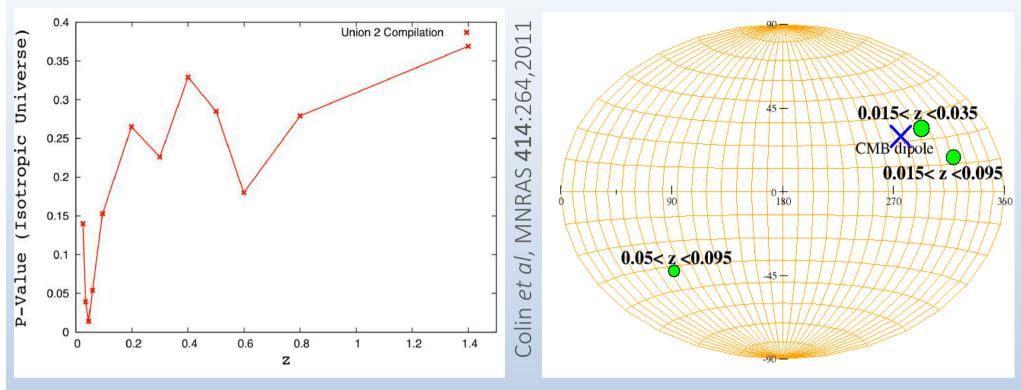


Colin, Mohayaee, S.S. & Shafieloo, MNRAS 414:264,2011

Left panel: The red spots represent the data points for z < 0.06 with distance moduli μ_{data} bigger than the values μ_{CDM} predicted by LCDM, and the green spots are those with μ_{data} less than μ_{CDM} ; the spot size is a relative measure of the discrepancy. A dipole anisotropy is visible around the direction $b = -30^\circ$, $l = 96^\circ$ (red points) and its opposite direction $b = 30^\circ$, $l = 276^\circ$ (small green points), which is the direction of the CMB dipole. **Right panel**: Same plot for z > 0.06

We perform tomography of the Hubble flow by testing if the supernovae are at the expected Hubble distances: Residuals ⇒ 'peculiar velocity' in local universe

IS THE UNIVERSE ISOTROPIC?



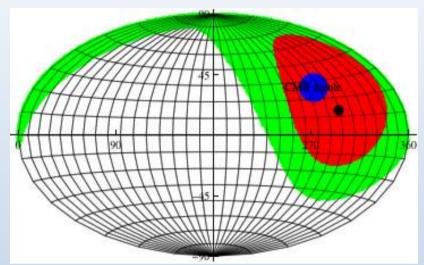
Left panel: P-value for the consistency of the isotropic universe with the data versus redshift. At $z \approx 0.05$ (~200 Mpc) the P-value drops to 0.014 showing that isotropy is excluded at ~3 σ ... i.e. we have *not* converged to the CMB rest frame.

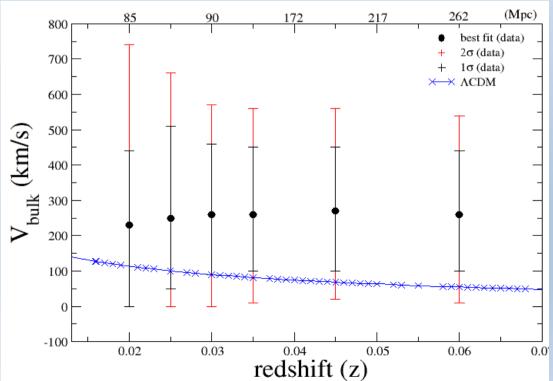
Right panel: Cumulative analysis shows that at low redshift, 0.015 < z < 0.06, isotropy is excluded at $2-3\sigma$ with P = 0.054; but at higher redshift, 0.15 < z < 1.4 the data is consistent with isotropy within 1σ (P = 0.594).

Maximum likelihood analysis can now be used to estimate the bulk flow at low redshifts where the velocities are not yet dominated by the cosmic expansion

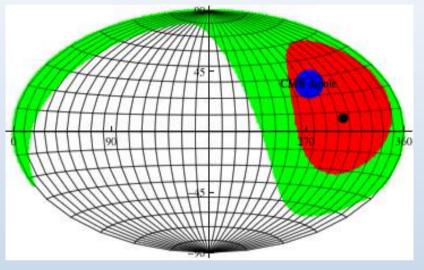
DIPOLE IN THE SN IA VELOCITY FIELD ALIGNED WITH THE CMB DIPOLE







0.015 < z < 0.06, v = 260 km/s, l = 298, b = 8



This is systematically ≥1 σ higher than expected for the standard Λ CDM model ... and extends beyond Shapley (at 260 Mpc)

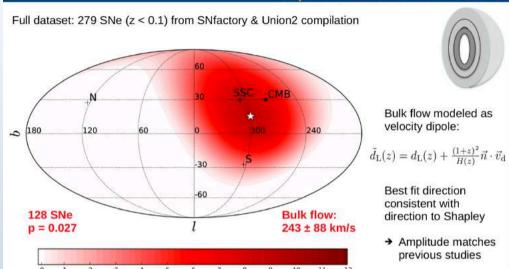
... consistent with Watkins et al (2009) who had earlier found a high bulk flow of 416 ± 78 km/s towards $b = 60 \pm 6^{\circ}$, $l = 282 \pm 11^{\circ}$, going up to $\sim 100 \text{ h}^{-1}$ Mpc

No convergence to CMB frame, even well beyond 'scale of homogeneity'

Colin *et al*, MNRAS **414**:264,201

Bulk Flow Analysis

Dipole fit: 0.015 < z < 0.035



Feindt et al, A&A 560:A90,2013

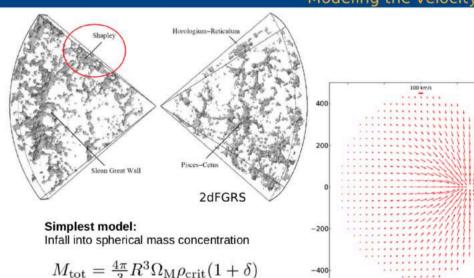
Finding the Attractors

 $v_p(\vec{y}) = \frac{a\Omega_{\rm M}^{0.55} H}{4\pi} \int \frac{\vec{y} - \vec{x}}{|\vec{y} - \vec{x}|^3} \delta(\vec{y}) \mathrm{d}^3 y$

Modeling the velocity field

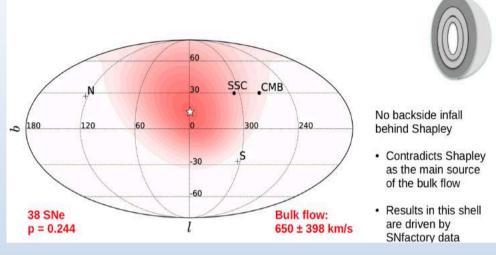
X [Mpc]

Courtesey: Ulrich Feindt

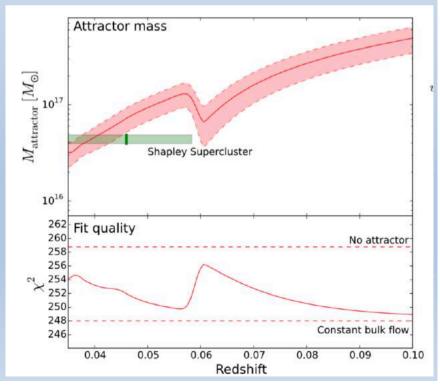


NEARBY SUPERNOVA FACTORY SURVEY

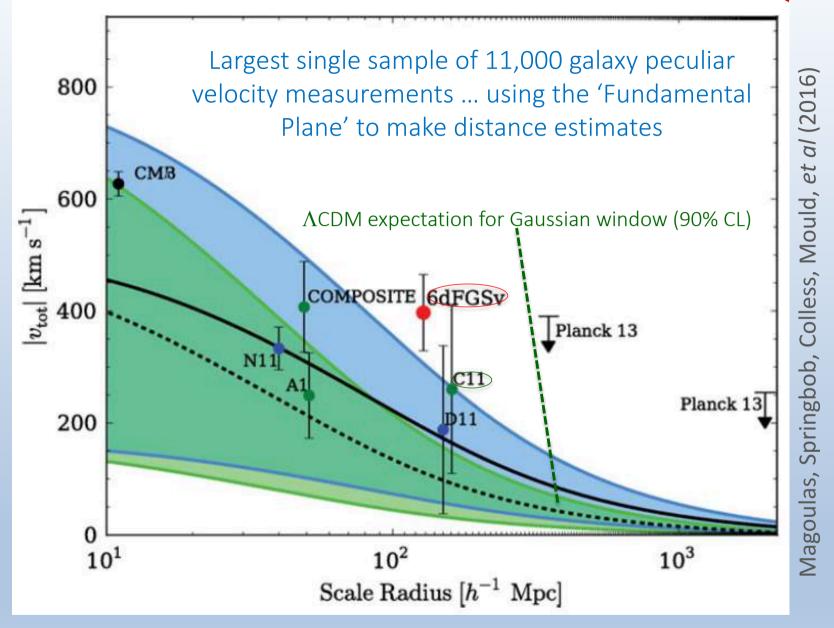
Dipole fit: 0.045 < z < 0.06



Need attractor mass of $>10^{17}\,M_{Sun}$ at $\sim 300\,Mpc$ to account for the flow



FURTHER CONFIRMATION BY THE 6-DEGREE FIELD GALAXY SURVEY (6DFGSV)



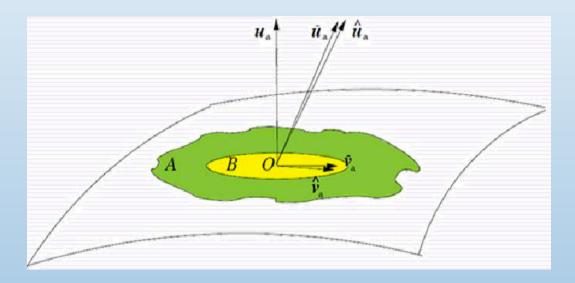
In the 'Dark Sky' Λ CDM simulations, <1% of Milky Way–like observers experience a bulk flow as large as is observed and extending out as far as is seen ...

Rameez, Mohayaee, S.S. & Colin, MNRAS 477:1722,2018

Do we infer acceleration although the expansion is actually decelerating ... because we are *inside* a local 'bulk flow'?

(Tsagas 2010, 2011, 2012; Tsagas & Kadiltzoglou 2015)

... if so, there should be a dipole asymmetry in the inferred deceleration parameter in the *same* direction – i.e. ~aligned with the CMB dipole



The patch A has mean peculiar velocity \tilde{v}_a with $\vartheta=\tilde{\mathrm{D}}^av_a\gtrless 0$ and $\dot{\vartheta}\gtrless 0$ (the sign depending on whether the bulk flow is faster or slower than the surroundings)

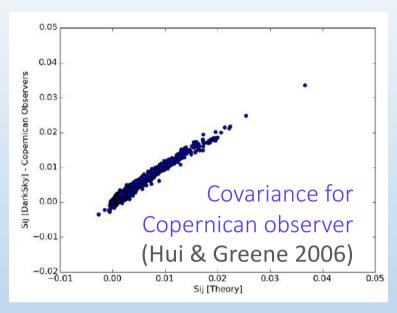
Inside region B, the r.h.s. of the expression

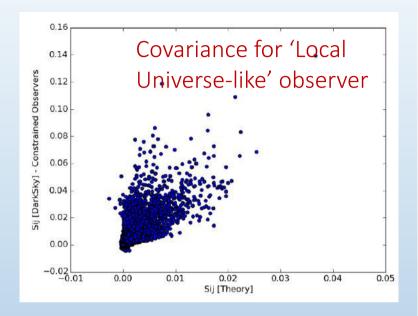
$$1 + \tilde{q} = (1 + q) \left(1 + \frac{\vartheta}{\Theta} \right)^{-2} - \frac{3\dot{\vartheta}}{\Theta^2} \left(1 + \frac{\vartheta}{\Theta} \right)^{-2}, \qquad \tilde{\Theta} = \Theta + \vartheta,$$

drops below 1 and the comoving observer 'measures' negative deceleration parameter

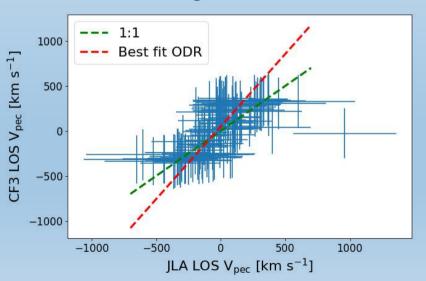
THE IMPACT OF PECULIAR VELOCITIES ON SUPERNOVA COSMOLOGY

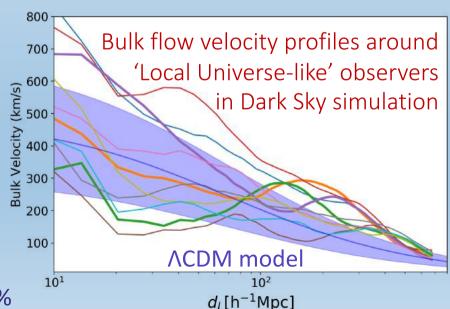
(Mohayaee, Rameez & S.S., arXiv:2003.10420)





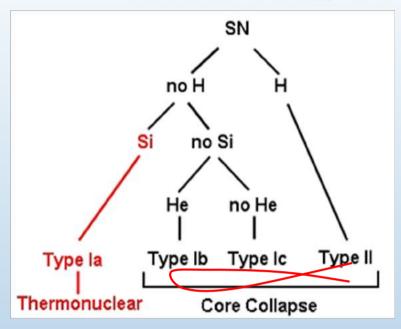
Correlated fluctuations of SNe Ia observables due to peculiar velocities of both the observer & the SNe Ia host galaxies can have considerable impact on cosmological parameter estimation

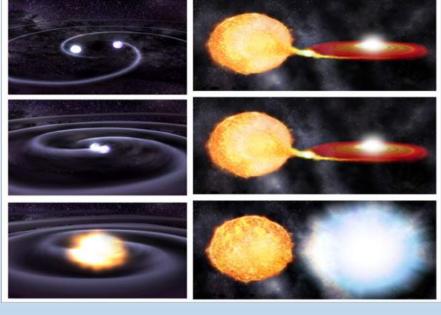


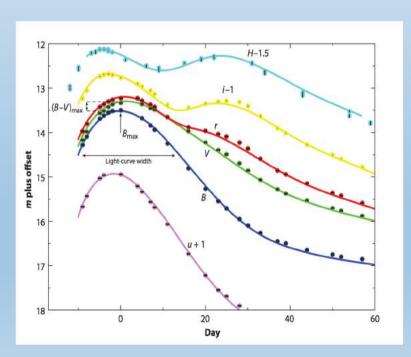


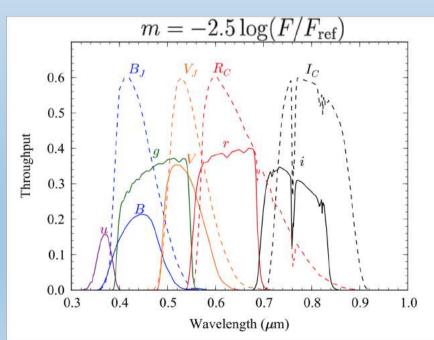
=> JLA velocities have been underestimated by \sim 48%

WHAT ARE TYPE IA SUPERNOVAE?









Identify by multiple exposure of sky (+ spectroscopy) → measure peak magnitude and redshift

Goobar & Leibundgut, ARAA 61:251,2011

THE MAGNITUDE-REDSHIFT DATA CAN BE USED TO DO COSMOLOGY

$$\mu \equiv 25 + 5 \log_{10}(d_{\rm L}/{\rm Mpc}), \text{ where:}$$
 $d_{\rm L} = (1+z) \frac{d_{\rm H}}{\sqrt{\Omega_k}} {\rm sinn} \left(\sqrt{\Omega_k} \int_0^z \frac{H_0 dz'}{H(z')} \right),$
 $d_{\rm H} = c/H_0, \quad H_0 \equiv 100h \text{ km s}^{-1} {\rm Mpc}^{-1},$
 $H = H_0 \sqrt{\Omega_{\rm m} (1+z)^3 + \Omega_k (1+z)^2 + \Omega_{\Lambda}},$

 $\sin n \to \sinh \text{ for } \Omega_k > 0 \text{ and } \sin n \to \sin \text{ for } \Omega_k < 0$

Distance modulus

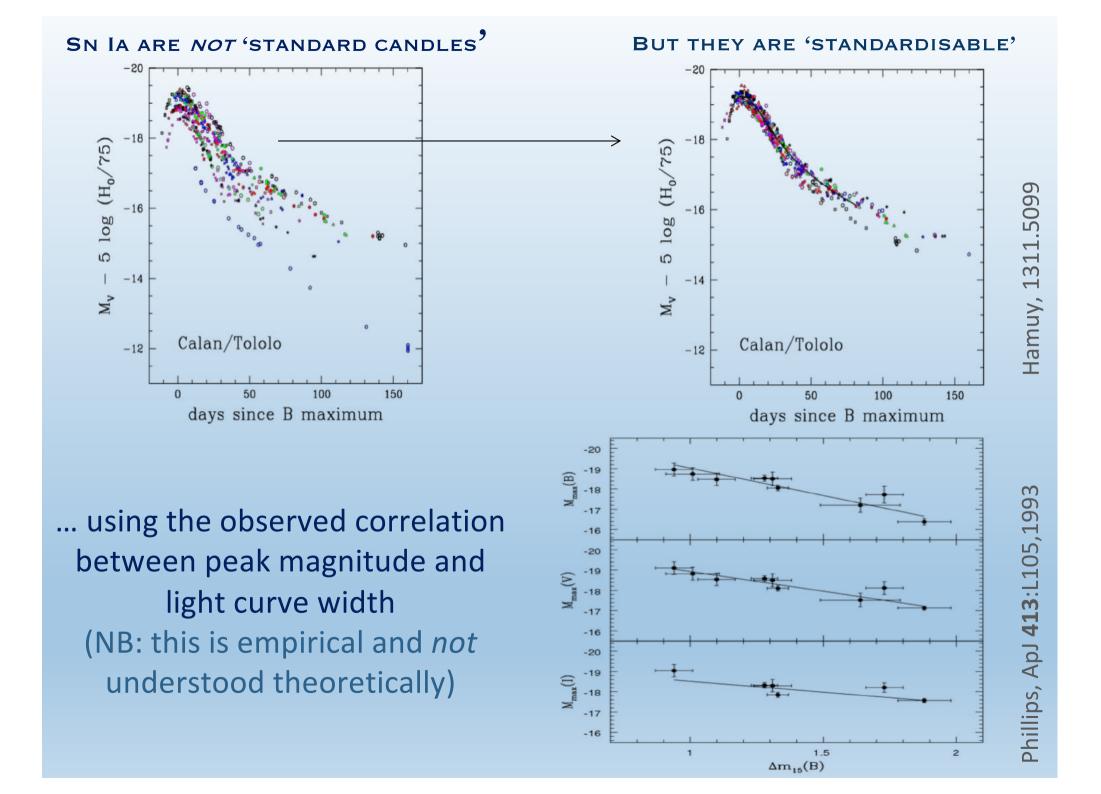
$$\mu_{\mathcal{C}} = m - M = -2.5 \log \frac{F/F_{\text{ref}}}{L/L_{\text{ref}}} = 5 \log \frac{d_L}{10 \text{pc}}$$

... OR FOR COSMOGRAPHY

Acceleration is a kinematic quantity so the data can be analysed without assuming any dynamical model, by expanding the time variation of the scale factor in a Taylor series

$$q_0 \equiv -(\ddot{a}a)/\dot{a}^2$$
 $j_0 \equiv (\ddot{a}/a)(\dot{a}/a)^{-3}$ (e.g. Visser, CQG **21**:2603,2004)

$$d_L(z) = \frac{c z}{H_0} \left\{ 1 + \frac{1}{2} \left[1 - q_0 \right] z - \frac{1}{6} \left[1 - q_0 - 3q_0^2 + j_0 + \frac{kc^2}{H_0^2 a_0^2} \right] z^2 + O(z^3) \right\}$$



SPECTRAL ADAPTIVE LIGHTCURVE TEMPLATE

(For making 'stretch' and 'colour' corrections to the observed lightcurves)

$$\mu_B = m_B^* - M + \alpha X_1 - \beta \mathcal{C}$$

B-band

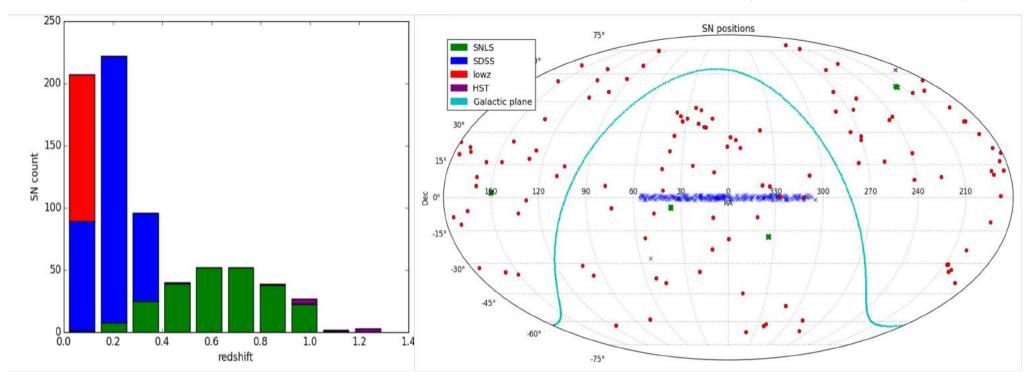
SALT 2 parameters

Betoule et al., A&A **568**:A22,2014

z_{cmb}	m_B^{\star}	X_1	C	$M_{ m stellar}$
0.002	23.941 ± 0.033	-0.945 ± 0.209	0.266 ± 0.035	10.1 ± 0.5
0.503	23.002 ± 0.088	1.273 ± 0.150	-0.012 ± 0.030	9.5 ± 0.1
0.581	23.574 ± 0.090	0.974 ± 0.274	-0.025 ± 0.037	9.2 ± 0.1
0.495	22.960 ± 0.088	-0.729 ± 0.102	-0.100 ± 0.030	11.6 ± 0.1
0.346	22.398 ± 0.087	-1.155 ± 0.113	-0.041 ± 0.027	10.8 ± 0.1
0.678	24.078 ± 0.098	0.619 ± 0.404	-0.039 ± 0.067	8.6 ± 0.3
0.611	23.285 ± 0.093	-1.162 ± 1.641	-0.095 ± 0.050	9.7 ± 0.1
0.866	24.354 ± 0.106	0.376 ± 0.348	-0.063 ± 0.068	8.5 ± 0.8
0.331	21.861 ± 0.086	0.650 ± 0.119	-0.018 ± 0.024	10.4 ± 0.0
0.799	24.510 ± 0.102	-1.057 ± 0.407	-0.056 ± 0.065	10.7 ± 0.1
0.450	22.667 ± 0.092	0.810 ± 0.232	-0.086 ± 0.038	10.7 ± 0.0
0.371	22.273 ± 0.091	0.570 ± 0.198	-0.054 ± 0.033	10.2 ± 0.1
0.292	21.961 ± 0.093	0.761 ± 0.173	0.116 ± 0.035	10.2 ± 0.1
0.356	22.927 ± 0.087	0.056 ± 0.193	0.205 ± 0.030	10.8 ± 0.1
	0.002 0.503 0.581 0.495 0.346 0.678 0.611 0.866 0.331 0.799 0.450 0.371 0.292	$\begin{array}{cccc} 0.002 & 23.941 \pm 0.033 \\ 0.503 & 23.002 \pm 0.088 \\ 0.581 & 23.574 \pm 0.090 \\ 0.495 & 22.960 \pm 0.088 \\ 0.346 & 22.398 \pm 0.087 \\ 0.678 & 24.078 \pm 0.098 \\ 0.611 & 23.285 \pm 0.093 \\ 0.866 & 24.354 \pm 0.106 \\ 0.331 & 21.861 \pm 0.086 \\ 0.799 & 24.510 \pm 0.102 \\ 0.450 & 22.667 \pm 0.092 \\ 0.371 & 22.273 \pm 0.091 \\ 0.292 & 21.961 \pm 0.093 \\ \end{array}$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

The host galaxy mass appears not to be relevant ... but there may well be other variables that the magnitude correlates with ...

JOINT LIGHTCURVE ANALYSIS DATA (740 SNE IA)



Betoule, Conley, Filippenko, Frieman, Goobar, Guy, Hook, Jha, Kessler, Pain, Perlmutter, Riess, Sollerman, Sullivan ... A&A **568**:A22,2014) http://supernovae.in2p3.fr/sdss_snls_jla/

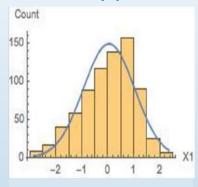
NB: Previous analyses used the 'constrained chi-squared' method ... wherein $\sigma_{\rm int}$ is adjusted to get χ^2 of 1/d.o.f. for the fit to the assumed Λ CDM model

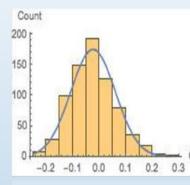
$$\chi^{2} = \sum_{objects} \frac{(\mu_{B} - 5\log_{10}(d_{L}(\theta, z)/10pc))^{2}}{\sigma^{2}(\mu_{B}) + \sigma_{int}^{2}}$$

we employ a Maximal Likelihood Estimator ... and get rather different results

CONSTRUCT A MAXIMUM KELIHOOD ESTIMATOR

Well-approximated as Gaussian





'Colour' corrections

 $\mathcal{L} = \text{probability density}(\text{data}|\text{model})$

$$\mathcal{L} = p[(\hat{m}_B^*, \hat{x}_1, \hat{c})|\theta]$$

$$= \int p[(\hat{m}_B^*, \hat{x}_1, \hat{c})|(M, x_1, c), \theta_{\text{cosmo}}]$$

$$\times p[(M, x_1, c) | \theta_{SN}] dM dx_1 dc$$

$$p(Y|\theta) = \frac{1}{\sqrt{|2\pi\Sigma_l|}} \exp\left[-\frac{1}{2}(Y - Y_0)\Sigma_l^{-1}(Y - Y_0)^{\mathrm{T}}\right]$$

$$p(\hat{X}|X,\theta) = \frac{1}{\sqrt{|2\pi\Sigma_d|}} \exp\left[-\frac{1}{2}(\hat{X} - X)\Sigma_d^{-1}(\hat{X} - X)^{\mathrm{T}}\right]$$

$$p[(M, x_1, c)|\theta] = p(M|\theta)p(x_1|\theta)p(c|\theta), \text{ where:}$$

$$p(M|\theta) = (2\pi\sigma_{M_0}^2)^{-1/2} \exp\left\{-\left[(M - M_0)/\sigma_{M_0}\right]^2/2\right\},$$

$$p(x_1|\theta) = (2\pi\sigma_{x_{1,0}}^2)^{-1/2} \exp\left\{-\left[(x_1 - x_{1,0})/\sigma_{x_{1,0}}\right]^2/2\right\},$$

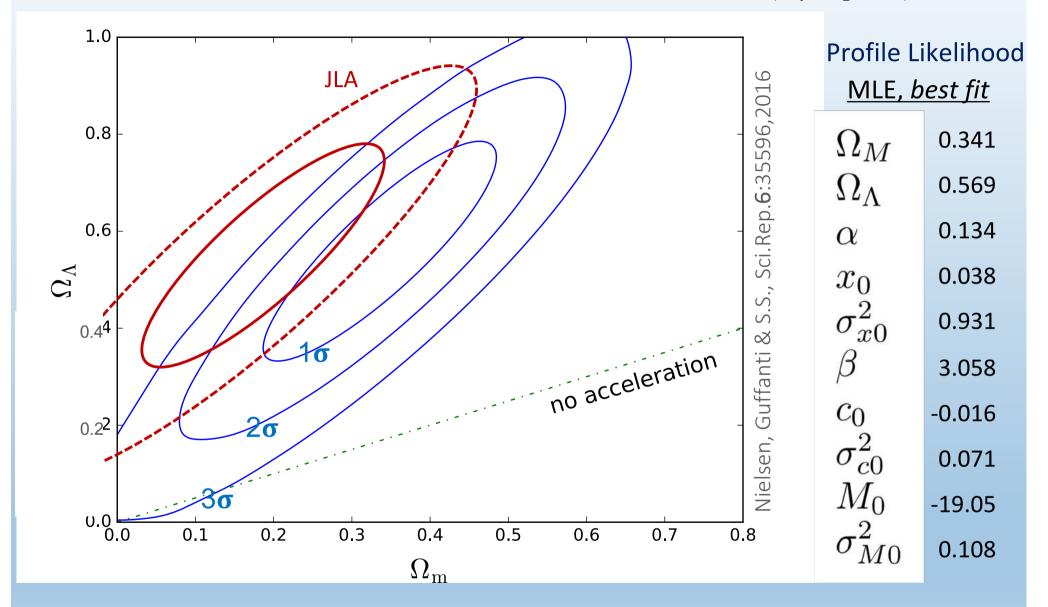
$$p(c|\theta) = (2\pi\sigma_{c_0}^2)^{-1/2} \exp\left\{-\left[(c - c_0)/\sigma_{c_0}\right]^2/2\right\}.$$

$$\mathcal{L} = \frac{1}{\sqrt{|2\pi(\Sigma_d + A^{\mathrm{T}}\Sigma_l A)|}}$$
 intrinsic distributions
$$\times \exp\left(-\frac{1}{2}(\hat{Z} - Y_0 A)(\Sigma_d + A^{\mathrm{T}}\Sigma_l A)^{-1}(\hat{Z} - Y_0 A)^{\mathrm{T}}\right)$$
 cosmology
$$\mathcal{L}(\theta) = \max \mathcal{L}(\theta, \phi)$$
 SALT2

cosmology

$$\mathcal{L}_p(\theta) = \max_{\phi} \mathcal{L}(\theta, \phi)$$

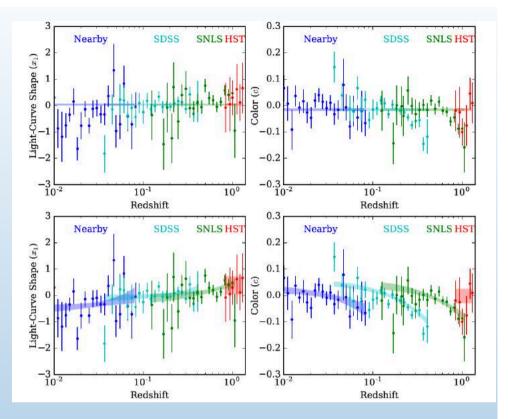
We find the data is consistent with an *uniform* rate of expansion ($\Rightarrow \rho + 3p = 0$) at 2.8 σ

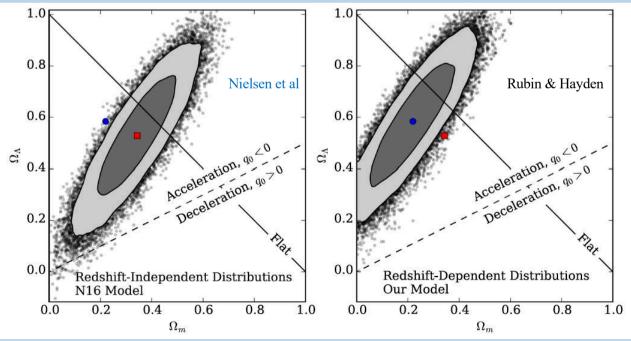


NB: We show the result in the $\Omega_{\rm m}$ - Ω_{Λ} plane for comparison with previous results (JLA) ... simply to emphasise that the statistical analysis has not been done correctly earlier (Other constraints e.g. $\Omega_{\rm m} \gtrsim$ 0.2 or $\Omega_{\rm m}$ + $\Omega_{\Lambda} \simeq$ 1 are relevant only to the Λ CDM model)

Rubin & Hayden (ApJ 833:L30,2016) say that our model for the distribution of the JLA light curve parameters should have included a dependence on redshift - which no previous analysis had allowed for ... they add 12 more parameters to our (10 parameter) model to describe this individually for each data sample

Such *a posteriori* modification is not justified by the Bayesian information criterion



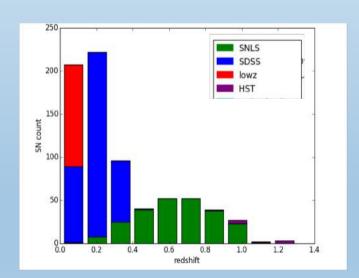


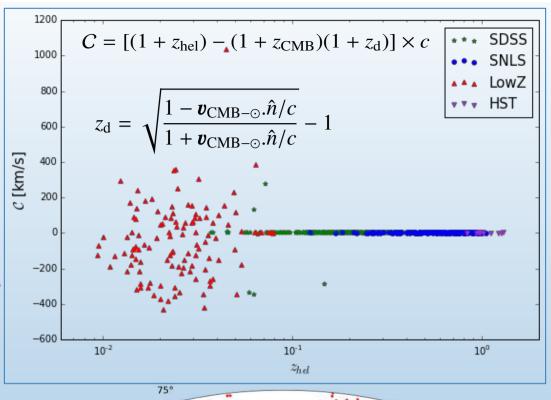
In any case this raises the significance with which a non-accelerating universe is rejected to only 3.7σ ... still inadequate to claim a 'discovery' (even though the dataset has increased from ~100 to 740 SNe Ia in 20 yrs)

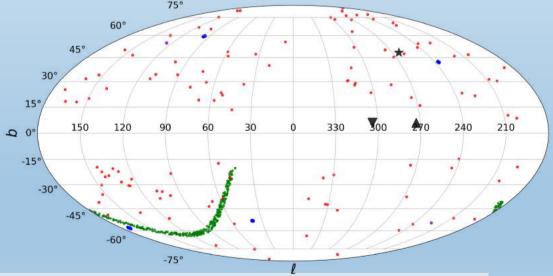
Subsequently we realised that the peculiar velocity `corrections' applied to the JLA catalogue are suspect ... the bulk flow had been assumed to drop to zero at ~150 Mpc - even though it is *observed* to continue beyond 300 Mpc!

So we *undid* the corrections to recover the original data in the heliocentric frame ... with some rather surprising findings

Colin et al, A&A 631:L13,2019

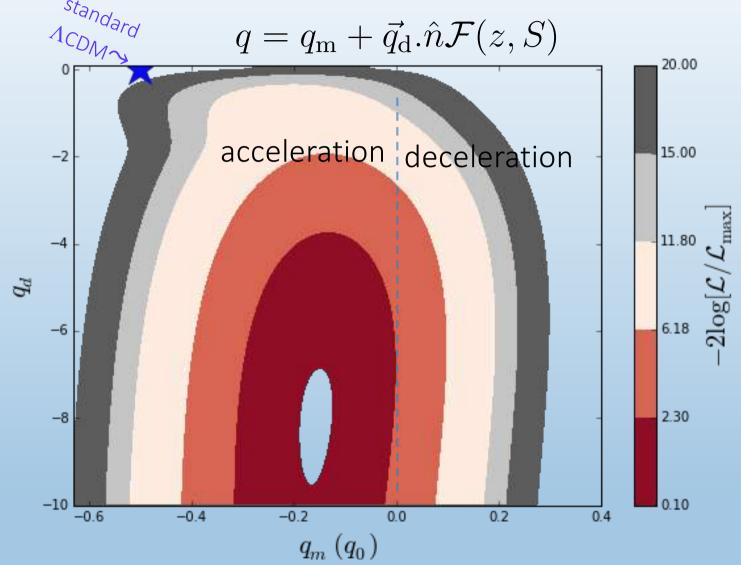






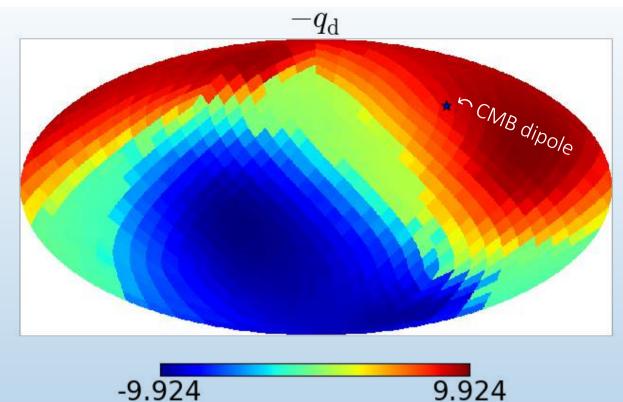
Sky distribution of the 4 sub-samples of the JLA catalogue in Galactic coordinates: SDSS (red dots), SNLS (blue dots), low redshift (green dots) and HST (black dots). CMB dipole (star), SMAC bulk flow (triangle), 2M++ bulk flow (inverted triangle)

When the data is now analysed allowing for a dipole, we find the MLE prefers one (~50 times bigger than the monopole) ... in ~the same direction as the CMB dipole



The significance of q_o being negative has now decreased to only 1.4σ

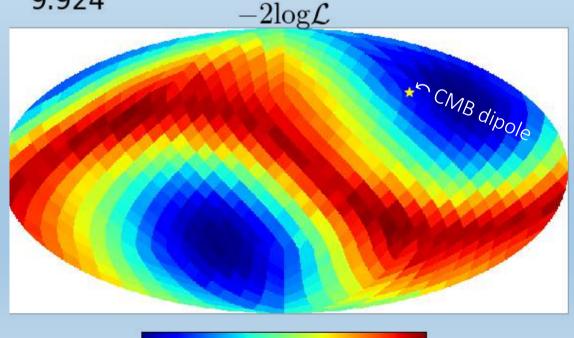
This strongly suggests that cosmic acceleration is simply an artefact of our being located inside a bulk flow (which includes 3/4 of the observed SNe Ia) and *not* due to Λ

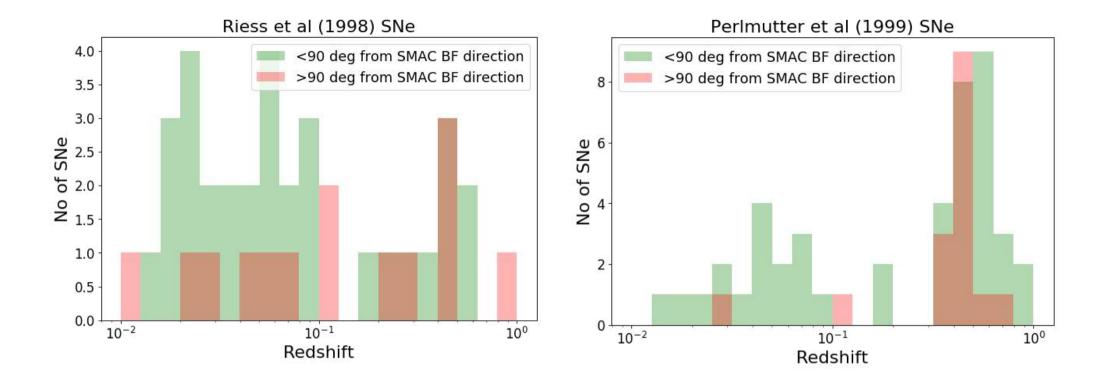


There is not enough data to do an *a priori* scan of the best-fit direction of q_d ... but if done *a posteriori* it is found to be within 23° of the CMB dipole $(\ell = 254.4^{\circ}, b = 25.5^{\circ})$

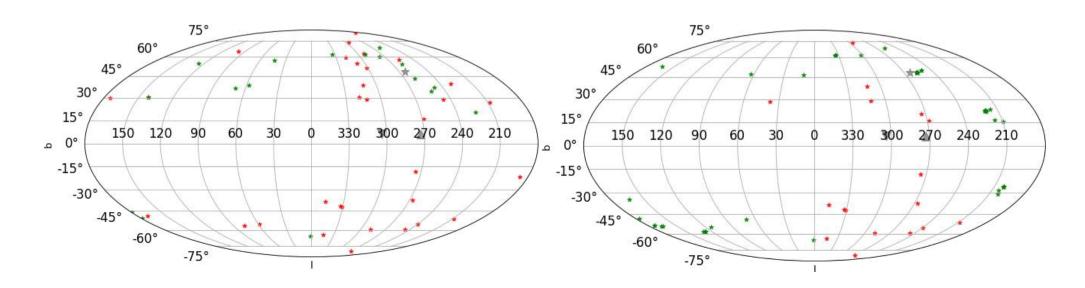
-189.6

The log-likelihood changes by just 3.2 between the two directions i.e. the inferred acceleration is consistent with being due to the bulk flow (rather than due to Λ)





Interestingly, most of the 60 SNe Ia studied by the High-z Team and the 45 SNe Ia studied by the Supernova Cosmology Project were in the direction of the bulk flow



We do not use the subsequent Pantheon catalogue because the z_{hel} values and individual contributions to the covariance are not public; also there are concerns about the accuracy of the data, e.g. >150 redshifts are *discrepant* with JLA (Rameez & S.S., arXiv:1911.06456)!

Scolnic et al. Supernova Catalog https://archive.stsci.edu/prepds/ps1cosmo/scolnic_datatable.html

You can download the Pantheon catalog of supernovae parameters, as well as simulated or input/statistics files, from the table below. Consult the PS1COSMO homepage for information on what types of files are located in each directory.

Pantheon SN Parameters (.txt) Pantheon Systematic Error Matrix (.txt) binned data/ data fitres/ sim fitres/ spec summary/

Rows Per Page: 100 Jump To Page: 1

1 to 100 of 1048 rows

The interactive table below contains the supernovae parameters from the Scolnic et al. catalog. Some of the columns are sortable, by clicking on the column headers. Below some headers are text boxes that allow for filtering as well. These support basic text and numerical expressions. For example, if you want to filter the table to or include supernovae with zhel greater than 0.5, type "> 0.5" (without the quotes) under the "ZHEL" column. Note you can still sort the column with a filter applied.

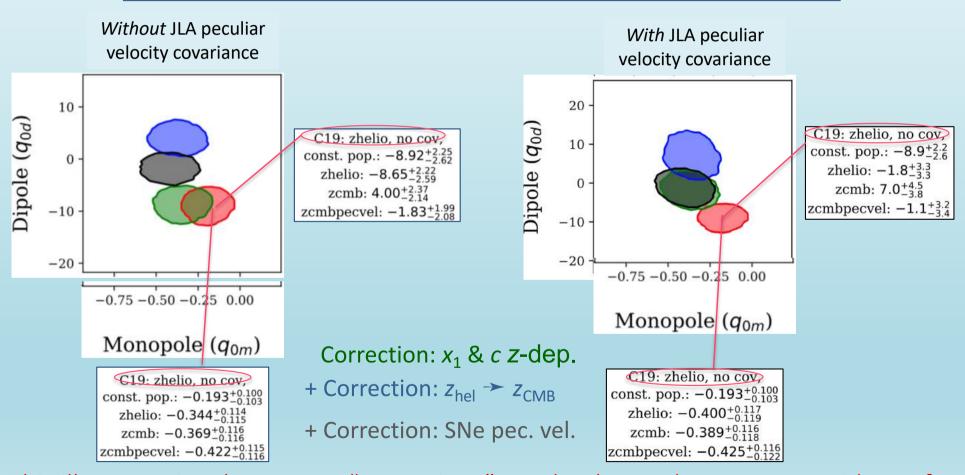
The loc of 1040 lows of 11 age. To be camp for age.								
Target ID (sortable)	ZCMB (sortable)	ZHEL (sortable)	DZ (sortable)	MB (sortable)	DMB (sortable)			
Type filter	Type filter	Type filter	Type filter	Type filter				
03D1au	0.50309	0.50309	0.0	22.93445	0.12605			
03D1aw	0.58073	0.58073	0.0	23.52355	0.1372			
03D1ax	0.4948	0.4948	0.0	22.8802	0.11765			
03D1bp	0.34593	0.34593	0.0	22.11525	0.111			
03D1co	0.67767	0.67767	0.0	24.0377	0.2056			
03D1ew	0.8665	0.8665	0.0	24.34685	0.17385			
03D1fc	0.33094	0.33094	0.0	21.7829	0.10685			
03D1fq	0.79857	0.79857	0.0	24.3605	0.17435			
03D3aw	0.44956	0.44956	0.0	22.78895	0.14135			
03D3ay	0.37144	0.37144	0.0	22.28785	0.1245			
03D3ba	0.29172	0.29172	0.0	21.47215	0.12535			
03D3bl	0.35582	0.35582	0.0	22.05915	0.12645			
03D3cd	0.46127	0.4612/7	0.0	22.62945	0.13775			

Data from the Carnegie Supernova Project and the Dark Energy Survey are not publicly available in an usable form

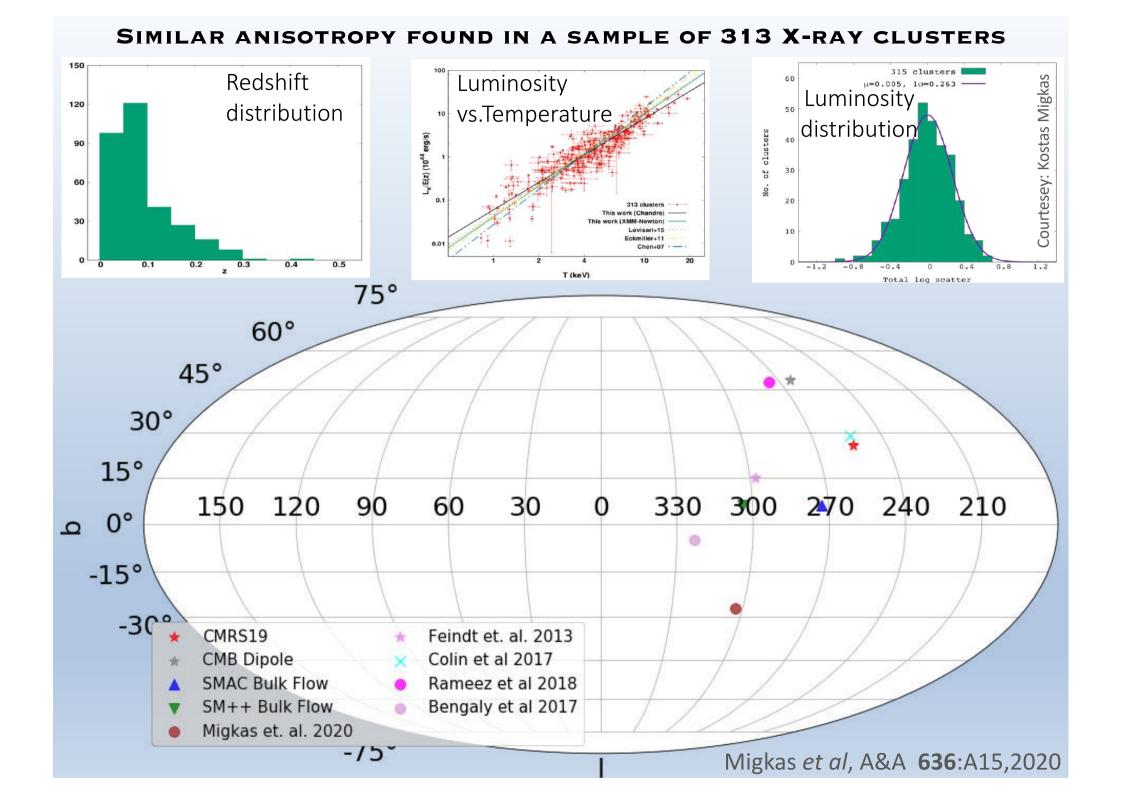
Rubin & Heitlauf (ApJ 894:68,2020) confirm our findings (C19), but criticise us for:

- 1. "Incorrectly" not allowing redshift-dependence of light-curve parameters (BIC?)
- 2. "Shockingly" using heliocentric redshifts (but is the CMB frame the correct frame?)
- (3. Not using data from southern sky surveys ... which are in fact not fully public)
- (4. Using a "pathological" model of the dipole anisotropy ... it is actually well behaved)

... we believe their criticism is not justified (arXiv:1912:04257)

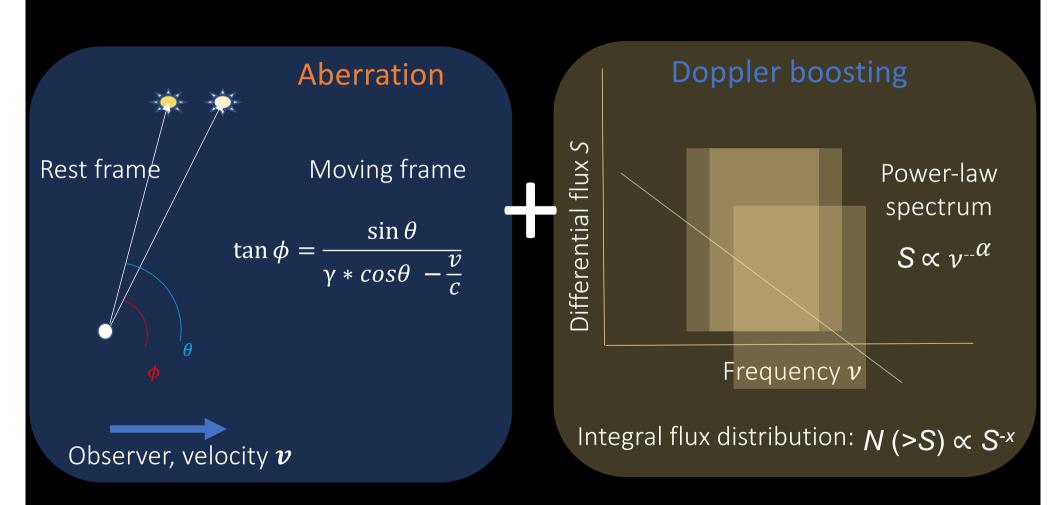


This illustrates just how many "corrections" need to be made to extract evidence for isotropic acceleration q_{0m} , when the data in fact indicate anisotropic acceleration q_{0d} !



If the dipole in the CMB is due to our motion wrt the 'CMB frame' then we should see similar dipole in the distribution of distant sources

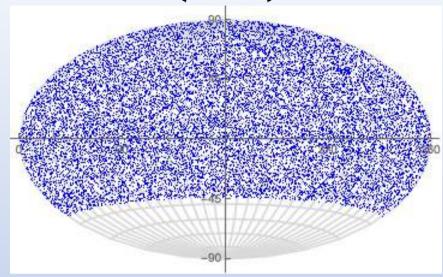
$$\sigma(\theta)_{obs} = \sigma_{rest} [1 + [2 + x(1 + \alpha)] \frac{v}{c} \cos(\theta)]$$

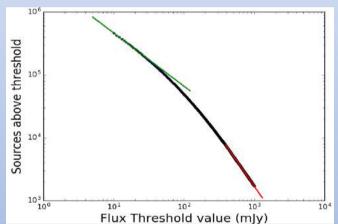


Flux-limited catalog → *more* sources in direction of motion

(Ellis & Baldwin 1984)

THE NRAO VLA SKY SURVEY (NVSS)

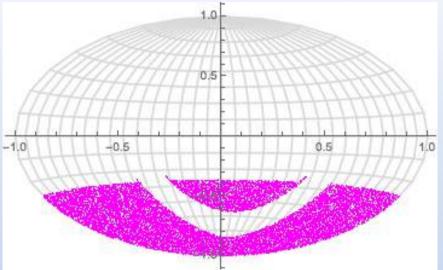


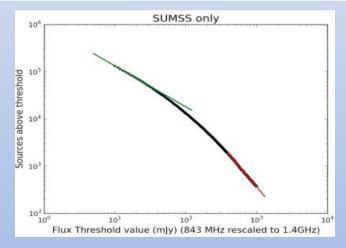


1.4 GHz survey (down to Dec = -40.4°) National Radio Astronomy Observatory

1,773,488 sources >2.5 mJy (complete above 10 mJy) Most are believed to be at $z \gtrsim 1$

SYDNEY UNIVERSITY MOLONGLO SKY SURVEY (SUMSS)

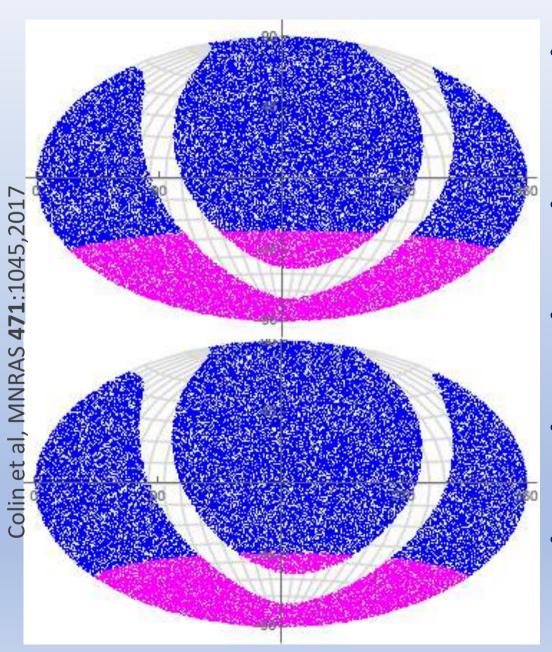




843 MHz survey (Dec < -30.0°) Molonglo Observatory Synthesis telescope

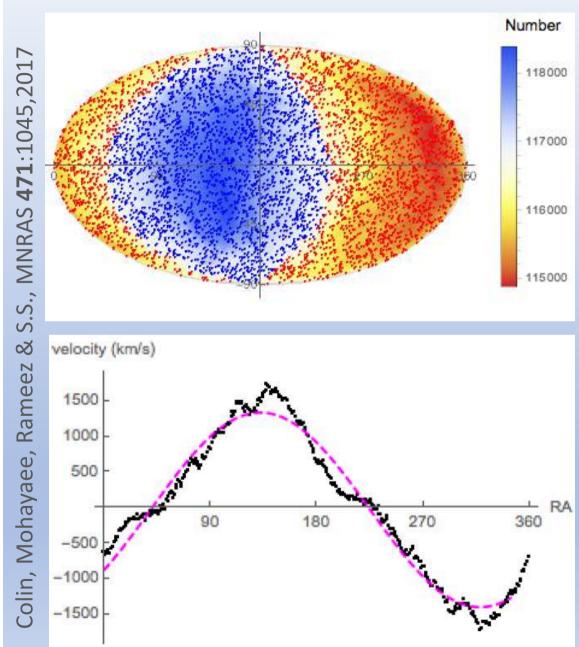
211,050 sources (with similar sensitivity and resolution to NVSS catalogue)
... Similar expected redshift distribution

THE NVSUMSS-COMBINED ALL SKY CATALOG



- Rescale SUMSS fluxes by $(843/1400)^{-0.75} \sim 1.46$ to match with NVSS (works within $\sim 1\%$)
- Remove Galactic Plane at ±10°
 (also Supergalactic plane)
- Remove NVSS sources below, and SUMSS sources above, Dec. -30)
- Apply common threshold flux cut to both samples
- Remove any nearby sources (common with 2MRS & LRS)

OUR PECULIAR VELOCITY WRT RADIO GALAXIES # PECULIAR VELOCITY WRT THE CMB



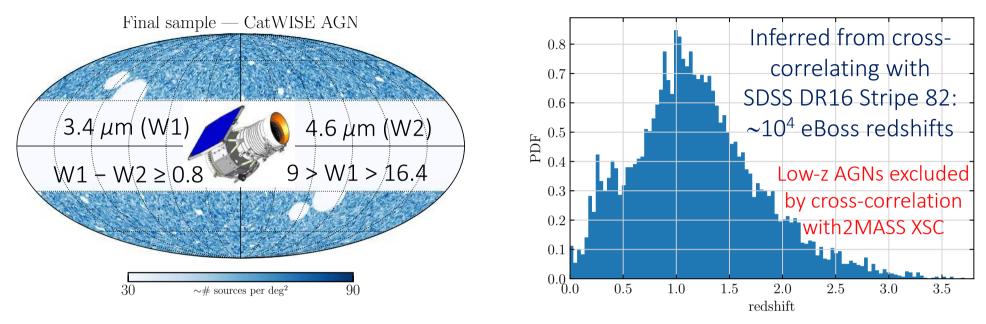
Velocity ~ 1355 ± 174 km/s (with the linear estimator) Direction within 10° of CMB dipole (but x4 times faster)

Confirms claim by Singal (2011) which was criticised subsequently (Gibelyou & Huterer 2012, Rubart & Schwarz 2013, Nusser & Tiwari 2015)

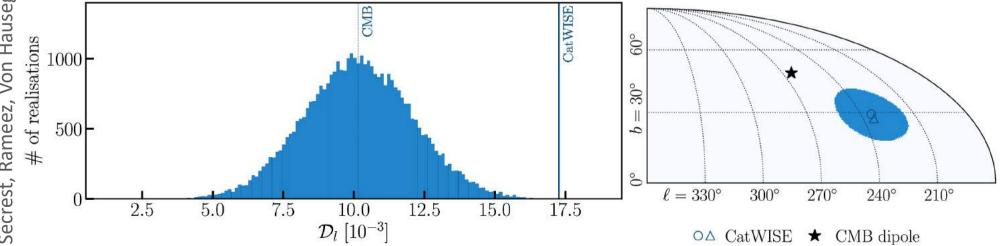
We have addressed *all* the concerns but this strange anomaly remains ... and casts doubt on the kinematic interpretation of the CMB dipole

New confirmation with quasars from ALLWISE & unwise-Gaia catalogues (Secrest et al, arXiv:2009.14826)

OUR PECULIAR VELOCITY WRT QUASARS ≠ PECULIAR VELOCITY WRT THE CMB



We now have a catalogue of \sim 1.3 million quasars, with 99% at redshift > 0.1



The kinematic interpretation of the CMB dipole is rejected with p= $10^{-4} \Rightarrow 3.9\sigma$

BEYOND THE F-L-R-W UNIVERSE?

- There is a dipole in the recession velocities of host galaxies of supernovae
 ⇒ we are in a 'bulk flow' stretching out well beyond the scale at which the universe supposedly becomes statistically homogeneous.
- The inference that the Hubble expansion rate is accelerating is likely an artefact of the local bulk flow ... because the inferred q_0 is essentially a dipole (~aligned with CMB), and any monopole component is consistent with zero
- The rest frame in which distant quasars are isotropic ≠ rest frame of the CMB

The cause of the bulk flow is unknown - could it be new horizon-scale physics? (e.g. super-horizon isocurvature perturbation, Gunn 1988, Turner 1991)

How do we understand the CMB dipole if it is not kinematic in origin?

The 'standard' assumptions of isotropy and homogeneity are questionable – forthcoming surveys (DESI, Euclid, LSST, SKA ...) can enable definitive tests

Meanwhile it is not established that the universe is dominated by 'dark energy'