

JGU

Future work on the X-ray source

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Future work

Strategic actions:

- Procure a 100 keV DC gun and a fs laser
- Hire a laser specialist
- Build a test stand for beam dynamics studies

Theoretical work:

- Complete the model of the emittance exchange line
- Optimize electron optics for the nominal charge (16 and 1.6 pC)
- Investigate the regime of small-period structuring of the bunch
- Design the optical system (will answer many questions)
- Quantum simulations of electron diffraction on the crystal

Experimental work

- Get experience with low-emittance electron bunches
- Fabrication of a perforated crystal for diffraction
- Formation of transversely-structured electron bunches

Comment on the longitudinal phase space



Correct bunch distribution from Zoltan and Kevin

Design of Compton source: idealized case



$$N_{\rm X-ray} \approx N_e \pi \alpha \frac{\mathcal{K}^2}{(1+\mathcal{K}^2)} \approx N_e \pi \alpha \mathcal{K}^2$$

Number of X-ray photons into the central cone for a **zeroemittance** electron beam and a **uniform** laser beam

$$\mathcal{K}^2 = \frac{2r_e I_L}{\pi mc^3} \lambda_L^2$$

Design of Compton source: realistic case



- Maximize ${\mathcal K}$
- Balance different contributions to $\Delta \omega / \omega$ to minimize broadening
- Maximize the number of electrons N_e (constrained by the laser pulse volume and ponderomotive broadening)

Comment on a higher charge operation

 $\mathcal{K}^2 = \frac{2r_e I_L}{\pi m c^3} \lambda_L^2$

$$N_{\rm X-ray} \approx N_e \pi \alpha \mathcal{K}^2 \frac{\rm BW}{\Delta \omega / \omega} \frac{1}{1 + \frac{\sigma_b^2}{\sigma_L^2}}$$

- Number of electrons $N_e \propto \sigma_0^2$
- Thermal emittance $\varepsilon_t \propto \sigma_0$

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- Normalized emittance after the gun $\varepsilon_n \propto \sigma_0^{1+\delta}$, $\delta = 0.3 0.5$
- $\sigma_L > \sigma_e$ to mitigate the ponderomotive broadening
- Scaling of the number of photons $N_{\rm x-ray} \propto N_e \frac{\varepsilon_L}{\sigma_L^2} \propto \frac{\sigma_0^2}{\sigma_0^{2+2\delta}}$